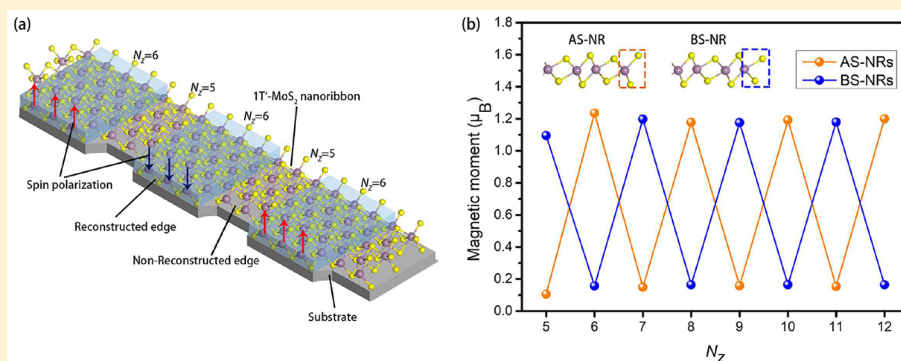


# Ferromagnetism of 1T'-MoS<sub>2</sub> Nanoribbons Stabilized by Edge Reconstruction and Its Periodic Variation on Nanoribbons Width

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## S Supporting Information



**ABSTRACT:** Nanoribbons (NRs) of two-dimensional (2D) materials have attracted intensive research interests because of exotic physical properties at edges as well as tunable properties via width control. In this paper, using density functional theory (DFT) calculations, we discover sensitive dependence of magnetic properties of 1T'-MoS<sub>2</sub> NRs, that is, periodic variation of magnetic moments between 0.1 and 1.2 μ<sub>B</sub>, on NR width (even or odd number of MoS<sub>2</sub> units). Our results reveal that a special edge reconstruction, which is not recognized before, stabilizes the ferromagnetic (FM) ground state. Our results also suggest that the FM state could be stable under ambient condition. This study indicates a promising means to integrate multiple magnetic units for small-scale functional devices, such as information storage and spintronics, on a single piece of MoS<sub>2</sub> NR by designing segments with different width.

## 1. INTRODUCTION

Two-dimensional (2D) transition metal dichalcogenides (TMDs) exhibit a combination of atomic thin crystal structure, direct band gap, strong spin–orbit coupling, and robust yet flexible mechanical property.<sup>1–4</sup> They have attracted intensive research interests in fundamental studies and practical applications for flexible electronic, optoelectronic, spintronic, catalysts, piezoelectricity, and energy harvesting.<sup>5–13</sup> Molybdenum disulfide (MoS<sub>2</sub>) is the mostly studied TMD. It has three crystal phases, 2H, 1T, and 1T'.<sup>14,15</sup> The most studied 2H phase is a semiconductor with a direct bandgap of 1.9 eV. The 1T phase is metallic and metastable.<sup>16,17</sup> It usually undergoes a periodic structural distortion for Mo “dimerization”, leading to the 1T' phase (Figure 1 and Figure S1). The 1T' phase can be stabilized under appropriate thermal or chemical conditions.<sup>18–20</sup>

When tailoring 2H-TMD in the form of nanoribbons (NRs), nanoclusters, or nanoflakes, the exposed edges often exhibit distinctive properties from its bulk form.<sup>21–24</sup> Zhen Zhou et al. reported that the zigzag edges of semiconductor 2D TMD NRs become metallic,<sup>21</sup> owing to the appearance of edge states in the bulk band gap. Moreover, it has been predicted these edge

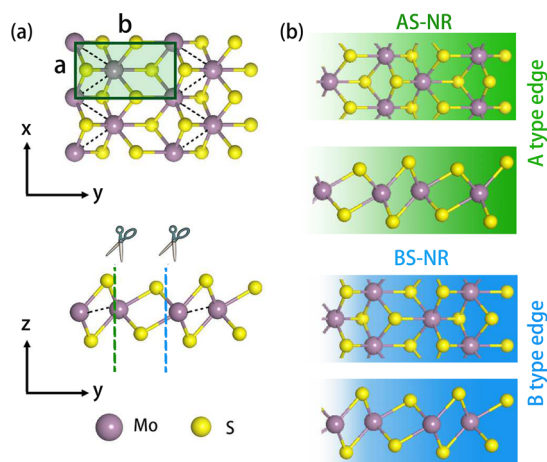
states could be ferromagnetic.<sup>21,24,25</sup> The presence of edge states gives rise to an enhanced photoluminescence response, an extraordinary catalytic behavior both in hydrodesulfurization and hydrogen evolution reaction, spintronics, and unusual 1D plasmonic excitation.<sup>26–30</sup> The as-cut edges usually are accompanied by excess unpaired electrons known as dangling bonds, rendering the system energetically unstable. They will undergo reconstruction to passivate the dangling bonds. The reconstructed edge structures determine the interesting properties mentioned above. Different types of reconstruction lead to distinctive electronic properties.<sup>31</sup> It is essential to uncover the likely edge reconstruction and to explore the potentially exotic physical or chemical properties.

Compared with the mostly studied 2H phase, 1T'-MoS<sub>2</sub> has a more complex crystal structure and chemical bonds. The 2H phase has one MoS<sub>2</sub> unit in primitive cell and one type of Mo–S covalent bond (2.41 Å). The distorted 1T' phase has two MoS<sub>2</sub> units in primitive cell and four different Mo–S bond length (2.42 Å, 2.39 Å, 2.48 and 2.51 Å) as well as the Mo

Received: August 28, 2018

Published: November 9, 2018





**Figure 1.** Two types of zigzag 1T'-MoS<sub>2</sub> nanoribbons. (a) Top and front views of pristine 1T'-MoS<sub>2</sub> monolayer crystal. The Mo–Mo “dimers” are drawn as black dot lines. (b) Two types of 1T' zigzag nanoribbons according to two different structures at the S edges. They are named as AS-NRs and BS-NRs, respectively. The width of nanoribbon ( $N_z$ ) is defined as the number of MoS<sub>2</sub> unit across the nanoribbon.

“dimer” bonds. It is likely to have more edge structures and reconstruction possibility in 1T'-MoS<sub>2</sub> NRs, implying more opportunities to uncover new and interesting physical properties.

In this paper, we employ density functional theory (DFT) calculations to investigate structure reconstruction and physical properties at zigzag edges of 1T'-MoS<sub>2</sub> NRs. At Mo edge, we reveal a previously unrecognized but energetically favorable reconstruction arising from charge transfer from Mo atoms to the weaker Mo–S bonds next to the edges. The reconstruction leads to a ferromagnetic (FM) ground state. Interestingly, the occurrence of edge reconstruction sensitively depends on NR width, for example, even or odd number of MoS<sub>2</sub> units, termed as “magic number”. The magnetic moment consequently exhibits a periodic oscillation between 0.1 and 1.2  $\mu_B$  with the increase of NR width. This novel property could stimulate further study to integrate high density of spintronic or

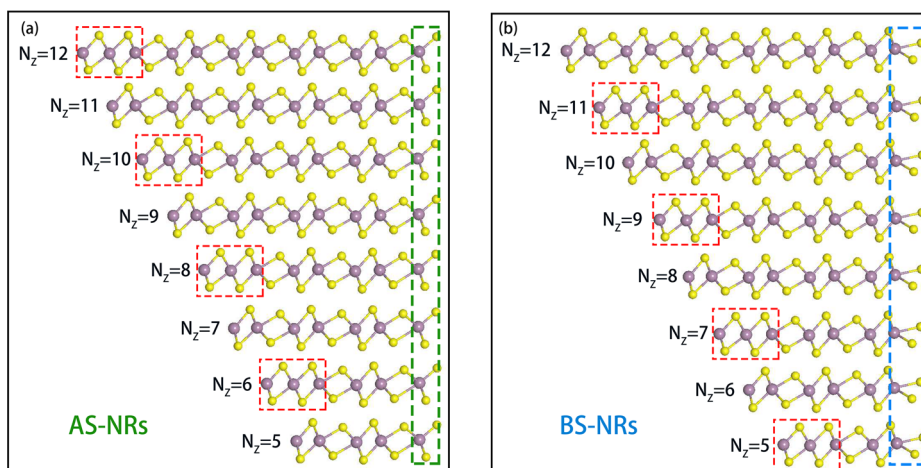
information storage units/devices in a single piece of 1T'-MoS<sub>2</sub> NR via width control.

## 2. RESULTS AND DISCUSSION

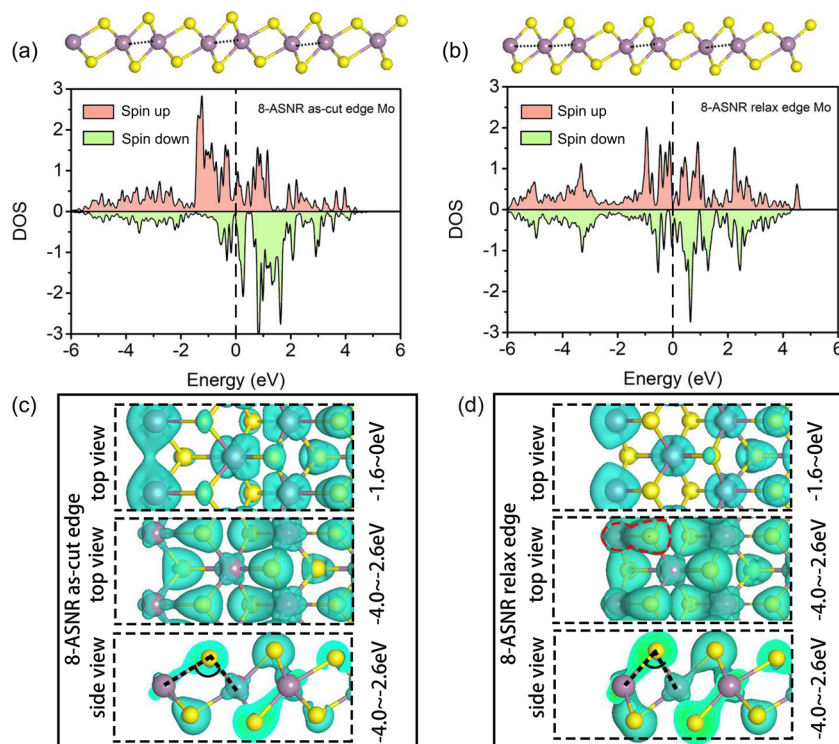
A single layer 1T'-MoS<sub>2</sub> can be regarded as a distorted form of 1T-MoS<sub>2</sub> (Figure S1a), where two adjacent rows of Mo atoms along the zigzag direction dimerize to form a zigzag chain, as depicted in Figure 1a. The Mo–Mo “dimer” has a bond length of 2.77 Å, which is much shorter than the Mo–Mo “nondimer” interatomic distance of 3.79 Å. The dimerization of 1T'-MoS<sub>2</sub> can be clearly demonstrated by electron local function (ELF) calculation shown in Figure S1b. The formation of such Mo–Mo “dimer” chains distorts the crystal, showing alternation of two different rhomboid units with one unit elongated in the thickness direction.

Previous studies concluded that zigzag edges are more energetic favorable for 2H-MoS<sub>2</sub> than the armchair counterparts. Accordingly, we generated the zigzag 1T'-MoS<sub>2</sub> NRs, following previous theoretical and experimental studies.<sup>21,23–25</sup> As shown in Figure 1b, there are two types of S atom terminated edges (S edges). The first type has a larger S–Mo–S angle, 80.78° (named as AS-NRs), and the second type has a smaller S–Mo–S angle, 70.93° (named as BS-NRs). We consider bare Mo edges in the other end of NRs, in light of the direct experimental observations in 2H-MoS<sub>2</sub> NRs.<sup>24,25</sup> The width  $N_z$  is defined as the numbers of Mo atoms in the cross-section, which is consistent to the definition of 2H-MoS<sub>2</sub> NRs in previous studies.

The as-cut nanoribbons were fully relaxed in DFT calculations. Figure 2 shows the relaxed crystal structures of AS-NRs and BS-NRs with  $N_z$  from 5 to 12. Some new edge structures at Mo-terminated edges (highlighted by red dashed boxes) can be observed in AS-NRs with even  $N_z$  and BS-NRs with odd  $N_z$ . The key structure feature is the two adjacent elongated rhomboid units at Mo edges. The Mo edge atoms have significant inward displacement toward the adjacent Mo atoms after relaxation, which appears like a “trimer-like” structure, and the energy reduction is ~1.27 eV. The Mo–Mo interatomic distance reduces from 3.79 to 2.95 Å, close to that of Mo–Mo “dimer” (2.77 Å) in pristine 1T'-MoS<sub>2</sub> (Figure 1a).



**Figure 2.** Reconstruction at Mo edges of the 1T'-MoS<sub>2</sub> nanoribbons. (a) Reconstructed Mo edges for AS-NRs. The edge reconstruction, which is highlighted by red dashed boxes, takes place at even  $N_z$ , for example, 6, 8, 10, and 12. (b) In the case of BS-NRs, the reconstruction happens at odd  $N_z$ , for example, 5, 7, 9, and 11. The key reconstruction feature is the two adjacent vertically elongated rhomboid units at the edge. No obvious edge structure change is observed in the S edges.



**Figure 3.** Physical origins of the Mo edge reconstruction. (a) Electron projection density of states (PDOS) of Mo atoms at the as-cut edges of AS-NRs with  $N_z = 8$ . (b) PDOS of Mo atoms at the reconstructed edge of AS-NRs with  $N_z = 8$ . (c) (d) Electron density distribution of as-cut and relaxed 8-ASNRs within different energy ranges with reference to Fermi level. The PDOS results indicate a strong electron transfer from  $(-1.6, 0)$  eV to lower energy level region as a result of edge reconstruction. Corresponding electrons are transferred from edge Mo atoms to the neighboring Mo–S bonds in panel d. The excess electron at this bond will cause a repulsion from the lone pair electron cloud on top of the S atoms. As a result, this Mo–S bond will rotate to reduce the Mo–S–Mo bond angle (from  $99.22^\circ$  to  $76.61^\circ$ ), causing the edge Mo atoms moving inward.

For other cases, there is no obvious change of edge rhomboid units after relaxation. The Mo edge atoms just show a minor inward displacement, that is, Mo–Mo interatomic distance changing from  $2.77 \text{ \AA}$  to  $\sim 2.67 \text{ \AA}$ . Note that for all NRs, the S edges have no notable structural change after relaxation. We tried to artificially construct the “trimer-like” structures at S-terminated edge. After fully relaxation in our DFT calculations, those “trimer-like” S-terminated edges would spontaneously recover back to the original structure. The observed Mo edge reconstruction has not been reported in TMD NRs. In addition, such sensitive dependence of edge reconstruction on NR width (even or odd  $N_z$ ) is not observed in other 2D materials.

To reveal physical origin of the observed edge reconstruction, we study the electronic structure of  $1T'$ -MoS<sub>2</sub> NRs. Figure 3 shows crystal structure and electronic structure of the as-cut and relaxed AS-NRs ( $N_z = 8$ ). The edge cutting breaks three Mo–S bonds and two Mo–Mo “dimer” bonds at the Mo edge. In addition, our Bader analysis (Table S1 and Figure S2) indicates about 0.25 electron being transferred from the S edge to the Mo edge. Polarization discontinuity in the as-cut NR generates a negatively charged S edge and a positively charged Mo edge, driving electrons transfer across the NR. Consequently, there will be significant unpaired electrons at bare Mo-edges in the as-cut NRs. They generate a significant magnetic moment  $2.2 \mu_B$ . In the projected electron density of state (PDOS), these unpaired electrons are located in energy level range  $(-1.6, 0) \text{ eV}$  below the Fermi level (Figure 3a).

To reduce system total energy, these NRs should undergo edge structure reconstruction to self-passivate the unpaired

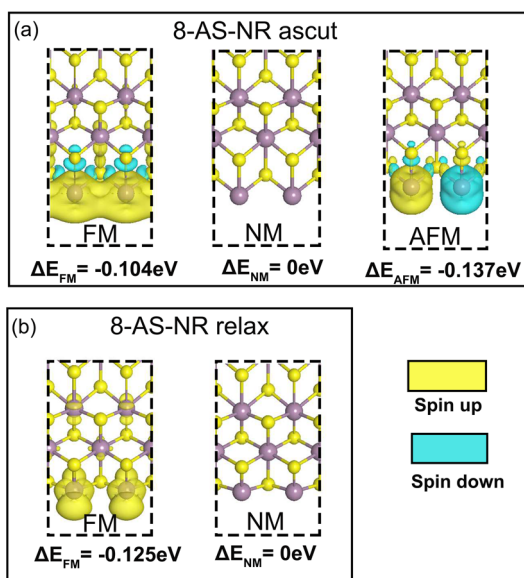
electrons. Analogous to the Mo “dimerization” in  $1T'$  phase, it is natural to expect that the edge Mo atoms might move inward to “dimerize” with Mo atoms next to the edge, thus forming the “trimer-like” structure. It appears to be consistent to crystal structure change in Figure 2 and Figure 3b: the Mo–Mo interatomic distance of  $2.95 \text{ \AA}$  close to that of Mo “dimer”  $2.77 \text{ \AA}$ . However, our calculated electronic structure indicates a different physical origin. In pristine  $1T'$ -MoS<sub>2</sub>, energy levels of Mo “dimer” bonds are located in  $(-1.6, 0) \text{ eV}$  range from the Fermi level (Figure S3), which overlaps that of the unpaired electrons in the as-cut NR (Figure 3a). Thus, Mo “dimer/trimer” is unlikely to reduce system total energy. Instead, via comparing Figure 3a and b, we observe significant charge transfer to the lower energy levels upon reconstruction. Figure 3c and d show the partial charge density within  $(-1.6, 0) \text{ eV}$  and  $(-4.0, -2.6) \text{ eV}$  ranges. There is no Mo “dimer” charge density between Mo atoms in edge region, distinctive from those in pristine  $1T'$ -MoS<sub>2</sub> (Figure 3c and d the partial charge density, corresponding to the  $(-4.0, -2.6) \text{ eV}$  energy level range, accumulates at the Mo–S bonds next to Mo edge atoms. This Mo–S bond in the as-cut NR has the longest bond length among all Mo–S bonds. It is thus reasonable for the charge transferring to this weaker bond. The excess charges in this bond would be repelled by the lone pair electrons on the top of S atom (Figure 3c), leading to a reduction of Mo–S–Mo bond angles and thus the inward motion of Mo edge atoms, forming the “trimer-like” edge structure.

For AS-NRs with an odd  $N_z$  and BS-NRs with an even  $N_z$ , the edge Mo atoms have “dimer” bonds with the adjacent Mo atoms. There is no possibility for the significant structure



change as discussed above. Nonetheless, electrons of the dangling bonds would redistribute, leading to small but observable inward displacement of Mo atom (i.e., reduction of Mo–Mo bond length from 2.77 to 2.67 Å).

Our DFT results conclude that the edge reconstruction stabilizes a ferromagnetic (FM) ground state in 1T'-MoS<sub>2</sub> NRs. Figure 4 shows the spin charge distribution and relative



**Figure 4.** Edge reconstruction stabilizing FM state at Mo edges. (a) Spin charge distribution and relative total energy of the as-cut AS-NRs ( $N_z = 8$ ) with the FM, NM, and AFM states at the Mo edge. (b) Spin charge distribution and relative total energy results after the reconstruction. The relative total energy is defined with reference to the NM states. The AFM is the ground state in the as-cut NR. However, it is unstable after the edge reconstruction. Thus, edge reconstruction stabilizes FM state compared with NM and AFM.

total energy results of FM, antiferromagnetic (AFM), and nonmagnetic (NM) states for the case of AS-NR ( $N_z = 8$ ). The relative total energy ( $\Delta E$ ) is defined with reference to the NM state. The spin charge density is always localized at the Mo edge. In the case of as-cut NR, AFM is the ground state (Figure 4a). After edge reconstruction, the AFM state disappears. The FM becomes the ground state. Its total energy is  $-0.125$  eV lower than that of NM state. This value is significantly higher than thermal excitation energy of  $0.026$  eV at room temperature. From a 1D Ising model that only considers the nearest neighbor interaction, the Curie temperature could be predicted as high as  $\sim 600$  K. The FM state could be stable at ambient conditions, which is critical for applications based on magnetism. The magnetic moment of this NR is about  $1.2 \mu_B$ , smaller than  $2.2 \mu_B$  of the as-cut NR. Nonetheless, it is sufficient for practical applications.

In the past few years, there are significant experimental advances for characterizing the atomistic edge structures of MoS<sub>2</sub>.<sup>23–25,32–36</sup> In some experiments, the bare Mo edges have been observed,<sup>24,25,32,33</sup> whereas other investigations found passivation of Mo edges by S or other atoms.<sup>23,34–36</sup> These experimental studies indicate that under appropriate conditions, the bare Mo edges can be fabricated in experiments. It is worth noting that recently, Zhao et al. have successfully grown wafer scale nanoporous 2D MoS<sub>2</sub> films.<sup>25</sup> They observed a new type of edge reconstruction, that is, “distorted

1T edge”, in which 1T like crystal structure formed at the edges of 2H MoS<sub>2</sub>. This edge structure bears some resemblance to those in Figure 2, despite that our MoS<sub>2</sub> NRs are in 1T' phase. The interesting observation in Zhao's experimental work and our DFT study suggests rich physics of the edges of TMD materials that remains to be explored.

In practice, the 2D NRs should be supported by some substrates. It is probable that the structure and physical properties of NR edges could be affected by the substrates. Indeed, Xu et al.<sup>34</sup> and Cheng et al.<sup>35</sup> observed that the MoS<sub>2</sub> nanowire edges would interact with Au substrates to form some 1D superstructures. To examine this effect, we performed further DFT calculations to study the edge reconstruction of 1T' NRs on top of 2H MoS<sub>2</sub> substrates. We find that the substrates have negligible effects on the observed edge reconstruction (Figure 2) and magnetic properties (Figure 4). It is reasonable since there are only weak van der Waals and Coulomb interactions between the MoS<sub>2</sub> layers, and thus, negligible interlayer charge transfer is observed (Figure S4 and Table S2).

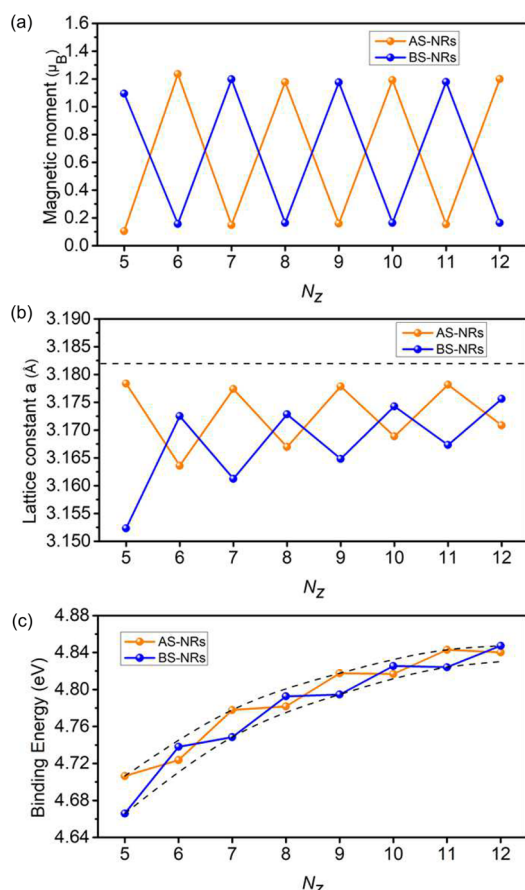
We would also like to point out that recently Luxa and Sofer et al. detected room temperature ferromagnetic ordering of layered MoS<sub>2</sub> in 1T' phase.<sup>37</sup> The authors attributed the ferromagnetism to the edges. This experiment might provide an indirect evidence to support our DFT calculation results.

Figure 5 summarizes the magnetic moments, lattice constants, and binding energy results of NRs as a function of different  $N_z$ . It shows that the magnetic moment sensitively depends on  $N_z$ . The AS-NRs with edge reconstruction (even  $N_z$ ) have a larger magnetic moment about  $1.2 \mu_B$ . For the rest of AS-NRs (odd  $N_z$ ), they have a much smaller value  $0.1 \mu_B$ . A similar conclusion can be drawn for BS-NRs. Therefore, the magnetic moment exhibits an interesting periodic oscillation as  $N_z$  changes. The lattice constant  $a_x$  (along the longitudinal direction) and binding energy  $E_b$  also show a periodic variation with respect to  $N_z$  in Figure 5b and c. Clearly, such a periodic variation is a result of the edge reconstruction. As  $N_z$  increases,  $a_x$  converges to the value of pristine 1T'-MoS<sub>2</sub> crystal in Figure 5b. The edge effect on lattice constant diminishes when  $N_z$  is large enough. The binding energy is defined as

$$E_b = \frac{nE(\text{Mo}) + mE(\text{S}) - E(\text{Mo}_n\text{S}_m)}{n + m} \quad (1)$$

where  $E(\text{Mo})$ ,  $E(\text{S})$  and  $E(\text{Mo}_n\text{S}_m)$  are the total energy of Mo atom, S atom and  $\text{Mo}_n\text{S}_m$  crystal,  $n$  and  $m$  are the number of atoms, respectively. A higher  $E_b$  value represents a stabler structure. In Figure 5c, a narrower NR has a lower  $E_b$ , arising from a higher portion of edges in the crystal. We observe two bounds for  $E_b$ . The upper bound corresponds to NRs without edge reconstruction and the lower bound is for NRs with edge reconstruction. Because edge reconstruction take place at either odd or even  $N_z$ ,  $E_b$  exhibits a stairstep-wise variation enclosed by these two bounds.

In Figure 5c, comparing the two types of NRs with the same  $N_z$  we find that the one with a stronger magnetic moment always has a smaller  $E_b$  value. For example, at  $N_z = 8$ , the AS-NR has  $E_b = 4.782$  eV and  $\mu = 1.17 \mu_B$ , while BS-NR has  $E_b = 4.793$  eV and  $\mu = 0.16 \mu_B$ . To examine the stability of the stronger FM state, we performed climbing image nudged elastic band (NEB) calculations for AS-NR ( $N_z = 8$ ) and BS-NR ( $N_z = 7$ ). The results are summarized in Figures S5 and S6. We gradually move the two adjacent elongated rhomboid units from the Mo edge to the S edge. The energy barrier is as

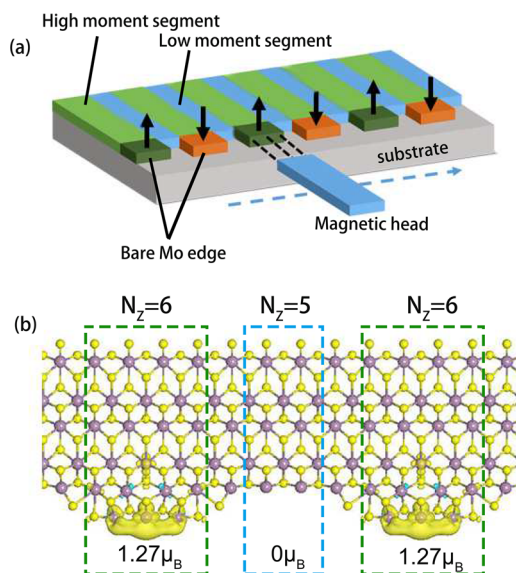


**Figure 5.** Sensitive dependence of magnetic, structure, and energetic properties on  $N_z$  (even or odd), the so-called magic number. (a) Periodic variation of magnetic moments of 1T'-MoS<sub>2</sub> NRs as a function of  $N_z$ . The AS-NRs with an even number of  $N_z$  has a larger magnetic moment,  $1.2 \mu_B$ . In contrast, the BS-NRs with an odd number of  $N_z$  has a larger magnetic moment of similar magnitude. (b) Lattice constant  $a_x$  also exhibits a similar periodic oscillation as a function of  $N_z$ . The black dashed line denotes the lattice constant of pristine 1T'-MoS<sub>2</sub>. (c) Binding energy of 1T'-MoS<sub>2</sub> NRs exhibits a periodic variation enclosed by two bounds.

high as  $\sim 500$  meV, indicating the stability of the NRs with high magnetic moment under ambient condition.

It is known that geometry of a nanostructure, such as NRs, nanotubes, nanoholes, etc., significantly affect its physical properties. For a graphene armchair NR, its band gap sensitively depends on its width  $N_z = 3p-1, 3p$  or  $3p+1$  (where " $p$ " is a positive integer number) when periodic holes are induced to it.<sup>38</sup> The armchair ZrS<sub>2</sub> NRs has a nearly constant band gap at an odd  $N_z$ , but a significant increased band gap with  $N_z$  reduction.<sup>39</sup> ZnS single wall nanotube of  $(3n, 0)$  ( $n$  is a positive integer number) has the highest stability and largest band gap among others.<sup>40</sup> Such special structure parameter is often called as magic number. There are rare reports for magic number related to magnetic properties. Our result (Figure 5a) is a new phenomenon.

Inspired by our discovery, it seems feasible to integrate multiple magnetic units into a single piece of MoS<sub>2</sub> NR. We could create a single piece of AS-NR/BS-NR composed of segments with different widths, for example, segments with even (odd)  $N_z$  (high magnetic moments) separated by segments with odd (even)  $N_z$  (low magnetic moments) as shown in Figure 6a. If the two types of segments maintain the



**Figure 6.** (a) Prototype of information storage device made of a single piece of MoS<sub>2</sub> NR, which composes of segments with different  $N_z$  (high or low magnetic moment). The black arrows represent the spin polarization direction. (b) Spin charge distribution of AS-NR supercell with three-units of  $N_z = 6$  (high magnetic moment) and two-units of  $N_z = 5$  (low magnetic moment) segments. FM is confirmed as ground state. As expected high magnetic moment occurs at  $N_z = 6$  segments.

magnetic moments, in principle, we could use local external magnetic field to separately manipulate spin-up or spin-down state of each high magnetic moment segment without interference. A prototypical model is examined. Figure 6b shows a AS-NR supercell including alternated segments with  $N_z = 6$  (three units) and  $N_z = 5$  (two units). The FM state is confirmed to be ground state. As expected, the magnetic moments ( $1.27 \mu_B$ ) mainly concentrate on the edge of  $N_z = 6$  segment, which is close to the infinite long AS-NR of  $N_z = 6$  (Figure 5a). The segment with  $N_z = 5$  has nearly zero  $\mu_B$ . Controllable fabrication of MoS<sub>2</sub> NRs or flakes has significantly advanced in past few years. It is reasonable to expect in near future we can fabricate NRs with precisely controlled  $N_z$ . In addition, it has been observed that the MoS<sub>2</sub> NR edges are not straight.<sup>32,33</sup> The alternative variation of  $N_z$  naturally exists in experiment, implying the feasibility of our prototype. This prototypical model suggests a great potential to fabricate high density integrated magnetic devices for information storage and spintronics applications.

### 3. CONCLUSION

In this paper, using DFT calculations, we investigate the edge reconstruction of 1T'-MoS<sub>2</sub> NRs and the related physical properties. We find a new type of edge reconstruction taking place at some specific width  $N_z$ , that is, even  $N_z$  for AS-NR and odd  $N_z$  BS-NRs. The edge reconstruction stabilizes the FM state with a magnetic moment of  $1.2 \mu_B$ . This FM state could be stable at ambient condition. With the increasing of  $N_z$ , the magnetic moment periodically oscillates between  $0.1 \mu_B$  and  $1.2 \mu_B$ . Such sensitive dependence of magnetic property on NR width could open new opportunities for information storage and spintronic applications in a single piece of 1T'-MoS<sub>2</sub> NR.

#### 4. COMPUTATIONAL METHODS

Our DFT calculations were conducted by using the Vienna Ab-initio Simulation Package (VASP).<sup>41</sup> The spin polarized Perdew–Burke–Ernzerhof (PBE) exchange–correlation functional<sup>42</sup> and projector augmented wave method<sup>43</sup> were adopted. The cutoff energy of 400 eV and the Monkhorst–Pack k-point mesh<sup>44</sup> of  $15 \times 1 \times 1$  for 1T'-MoS<sub>2</sub> unit cell were used to ensure that atomic positions and lattice constants were fully relaxed until total energy difference and forces were less than  $10^{-5}$  eV and 0.01 eV/Å, respectively. A higher convergence criterion for total energy,  $10^{-6}$  eV, was adopted to calculate electronic structures. Periodic boundary condition was applied in all three directions. A vacuum space of at least 20 Å was applied in y and z directions to avoid the interaction between a NR and its periodic images. The nudged elastic band (NEB) method<sup>45</sup> was employed to study migration of Mo “trimer” from edge to interior of MoS<sub>2</sub> nanoribbons.

#### ■ ASSOCIATED CONTENT

##### Supporting Information

The Supporting Information is available free of charge via the Internet at <http://pubs.acs.org/>. The Supporting Information is available free of charge on the ACS Publications website at DOI: 10.1021/jacs.8b09247.

Electron local function, charge analysis, and electron structure of pristine 1T'-MoS<sub>2</sub>, relative energy of “trimer”, migration energy “trimer” of 1T'-MoS<sub>2</sub> nanoribbons, all supplemental figures (PDF)

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##### Notes

The authors declare no competing financial interest.

#### ■ ACKNOWLEDGMENTS

The authors gratefully acknowledge the support of NSFC (Grants Nos. 51728203, 51471126, 51320105014, 51621063) and the support by 111 project 2.0 (Grant No. BP2018008). J.D. also thanks the support of the China Postdoctoral Science Foundation (Grant No. 2016T90911) and the Fundamental Research Funds for the Central Universities. J.Z.L. acknowledges the support from ARC discovery projects and HPC from National Computational Infrastructure from Australia. This work is also supported by State Key Laboratory for Mechanical Behavior of Materials and HPC platform of Xi'an Jiaotong University.

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